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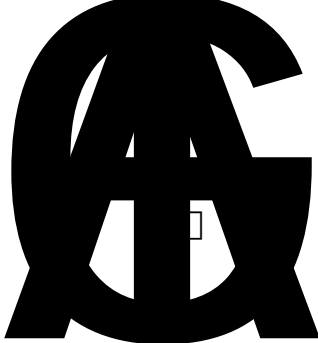
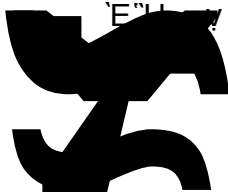
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[illegible]

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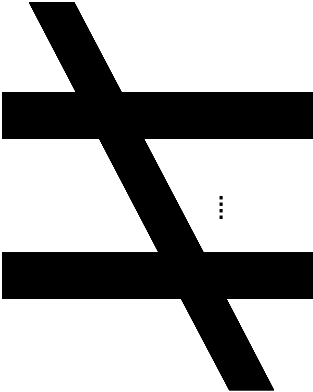
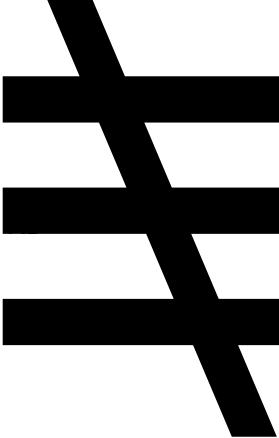
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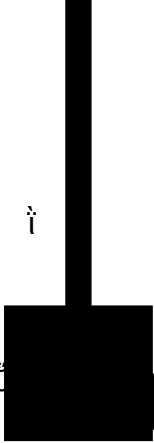
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A large black silhouette of a person's head and shoulders, facing right. The silhouette is filled with various white mathematical symbols and characters, including Greek letters like alpha, beta, gamma, delta, epsilon, zeta, eta, theta, iota, kappa, lambda, mu, nu, xi, omicron, pi, rho, sigma, tau, upsilon, phi, chi, psi, omega, and others, as well as numbers and punctuation marks.

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